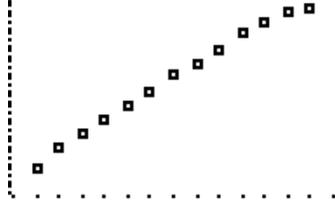


AP Statistics: Linear Regression Review – Answer Key

1. x = age in years, y = median height for boys age 2-14, in inches

a. Scatter Plot



b. Positive Association – As age increases, height increases

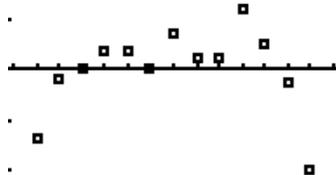
c. $y = 31.567 + 2.429x$
OR height = $31.567 + 2.429\text{age}$

d. On average, boys age 2-14 grow 2.429 inches per year

e. $r = .996$. which tells us that there is a strong relationship between age and height

f. $r^2 = 99\%$, so 99% of the change in height can be attributed to age

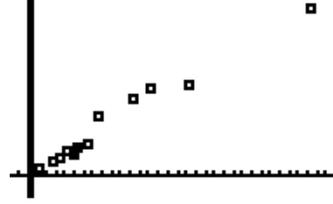
g. Residual Plot is random, so a line is a good model for data



h. There are no outliers

2. x = state population in millions, y = number of police officers in 1000's

a. Scatter Plot



b. Positive Association – As pop. increases, number of police officers increases

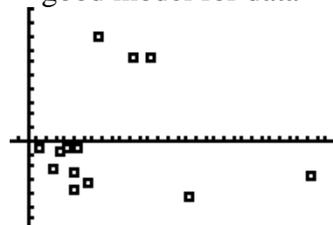
c. $y = -.0008 + 2.921x$
OR cops = $-.0008 + 2.921\text{pop}$

d. On average, there are 2,921 police officers per 1 million people

e. $r = .984$. which tells us that there is a strong relationship between pop and police

f. $r^2 = 97\%$, so 97% of the change in police can be attributed to pop

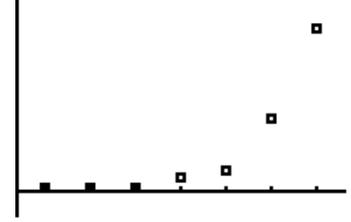
g. Residual Plot is random, so a line is a good model for data



h. CA is an outlier. Removal causes r to get lower, equation also changes

3. x = year, y = # of online education journals

a. Scatter Plot



b. Positive Association – As time increases, number of journals increases

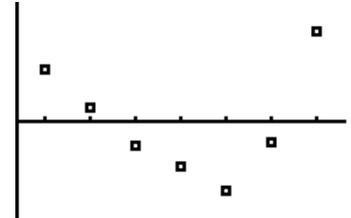
c. $y = -31874.5 + 345.4x$
OR journals = $-31874.5 + 345.4\text{year}$

d. On average, the number of journals increases 345.4 per year

e. $r = .824$. which tells us that there is a moderate relationship between time and # of journals

f. $r^2 = 68\%$, so 68% of the change in # of journals can be attributed to time

g. Residual Plot shows a pattern, so a line is not the best model for data

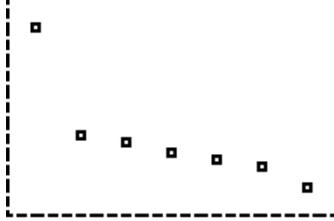


h. There are no outliers

AP Statistics: Linear Regression Review – Answer Key

4. x = soil depth in cm, y = % of *montmorillonite* in the soil

a. Scatter Plot



b. Negative Association – As soil depth increases, % *mont...* decreases

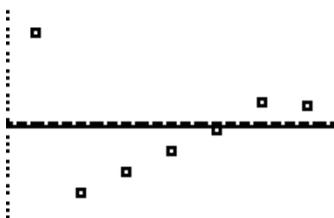
c. $y = 64.5 - .45x$ OR percent = $64.5 - .45\text{depth}$

d. On average, the percent decreases by .45% per cm of soil depth

e. $r = -.833$. which tells us that there is a moderate relationship between depth and percent

f. $r^2 = 69\%$, so 69% of the change in percent can be attributed to soil depth

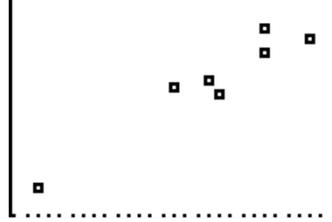
g. Residual Plot shows a pattern, so a line may not be the best model



h. (40,58) is an outlier. Removal causes r to get much better (-.98), equation also changes

5. x = fat content in grams, y = calories in burger

a. Scatter Plot



b. Positive Association – As fat increases, calories increase

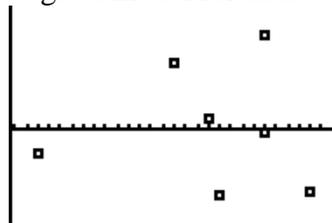
c. $y = 210.95 + 11.056x$ OR calories = $210.95 + 11.056\text{fat}$

d. On average, calories increase 11.056 per gram of fat in burgers

e. $r = .961$. which tells us that there is a strong relationship between fat and calories

f. $r^2 = 92\%$, so 92% of the change in calories can be attributed to fat

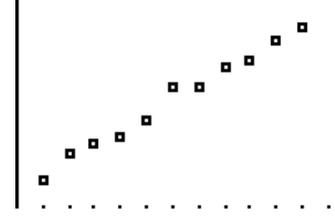
g. Residual Plot is random, so a line is a good model for data



h. (19,410) is an outlier. Removal causes r to get lower (.836), equation also changes slightly (the slope)

6. x = year, y = research funding (in millions)

a. Scatter Plot



b. Positive Association – As time increases, amount of research funding increases

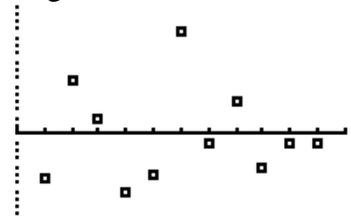
c. $y = -1100.73 + 14.96x$ OR funding = $-1100.73 + 14.96\text{year}$

d. On average, the amount of funding increases \$14.96 million per year

e. $r = .993$. which tells us that there is a very strong relationship between time and research funding

f. $r^2 = 98.6\%$, so 98.6% of the change in research funding can be attributed to time

g. Residual Plot is random, so a line is a good model for data



h. There are no outliers